

# SEMINARIO

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*“Orbifold zeta functions for dual invertible polynomials”*

**Abstract:** An invertible polynomial in  $n$  variables is a quasihomogeneous polynomial consisting of  $n$  monomials so that the weights of the variables and the quasi-degree are well defined. In the framework of the construction of mirror symmetric orbifold Landau--Ginzburg models, P. Berglund, T. Hübsch and M. Henningson considered a pair  $(f,G)$  consisting of an invertible polynomial  $f$  and an abelian group  $G$  of its symmetries together with a dual pair  $(\tilde{f},\tilde{G})$ . There were observed some symmetries between analytic and topological properties of  $f$  and  $\tilde{f}$  and also between  $(f,G)$  and  $(\tilde{f},\tilde{G})$ . The orbifold zeta function of a function-germ with a (finite) group of its symmetries codify all zeros and/or poles of the usual zeta function plus so called age (or fermion) shifts. It turns out that the (reduced) orbifold zeta functions of dual pairs  $(f,G)$  and  $(\tilde{f},\tilde{G})$  either coincide or are inverse to each other depending on the number  $n$  of variables. The talk is based on a joint work with W. Ebeling.

**Seminario A125 de la Facultad de Ciencias**

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